## MATH 3630-Actuarial Mathematics I <br> Fall 2011 - Valdez <br> Homework No. 2 <br> due Wednesday, 5:00 PM, 5 October 2011

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Mortality for a population consisting of females and males follow a select-and-ultimate table, an extract of which is given below. Females have a 3-year select period while males have a 2-year select period. Assume mortality follows the Uniform Distribution of Death (UDD) between integral ages.

| Females |  |  |  |  |  | Males |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $x$ | $\ell_{[x]}$ | $\ell_{[x]+1}$ | $\ell_{[x]+2}$ | $\ell_{x+3}$ | $x+3$ | $x$ | $\ell_{[x]}$ | $\ell_{[x]+1}$ | $\ell_{x+2}$ | $x+2$ |
| 50 | 80960 | 79827 | 78522 | 77025 | 53 | 50 | 70764 | 69124 | 67224 | 52 |
| 51 | 79530 | 78334 | 76958 | 75382 | 54 | 51 | 68823 | 67118 | 65146 | 53 |
| 52 | 78021 | 76760 | 75312 | 73655 | 55 | 52 | 66805 | 65036 | 62993 | 54 |
| 53 | 76430 | 75103 | 73581 | 71842 | 56 | 53 | 64711 | 62879 | 60768 | 55 |
| 54 | 74756 | 73362 | 71765 | 69944 | 57 | 54 | 62544 | 60651 | 58475 | 56 |
| 55 | 72998 | 71535 | 69863 | 67958 | 58 | 55 | 60305 | 58354 | 56117 | 57 |

1. Calculate the probability that a randomly chosen male from this population, now age 51.5 with select age 50 , will die within the next 2 years and 3 months.
2. Calculate the probability that a randomly chosen female from this population, at select age 51 , will die between the ages of 52.35 and 56.75.
3. Suppose that the composition of the population at select age 50 is $60 \%$ female and $40 \%$ male.
(a) What is this composition after 5 years? (i.e. give the proportion of males and the proportion of females)
(b) Calculate the probability that a randomly chosen person now age 55 , with select age 50 , from this population will survive the following year.
